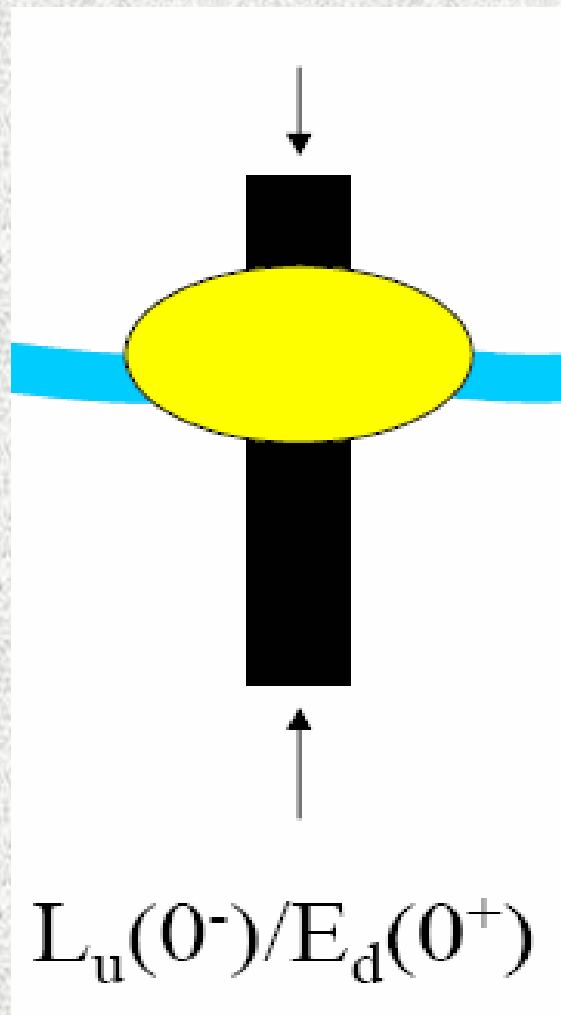


# IOP inversion from shallow waters

Peng Wang

$$R_{rs} = f(a, b_b)$$



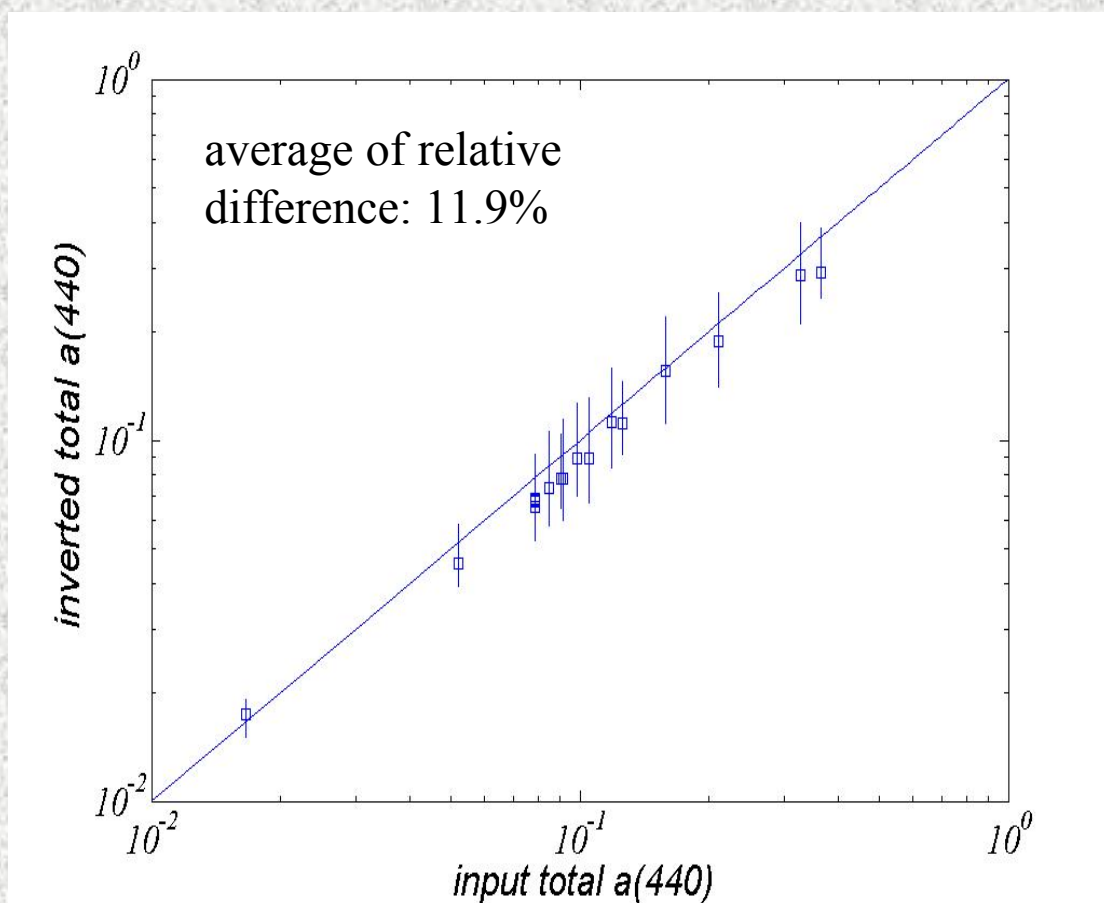
$L_u(0^-)$ : upwelling radiance  
 $E_d(0^+)$ : downwelling irradiance

# PBR approach:

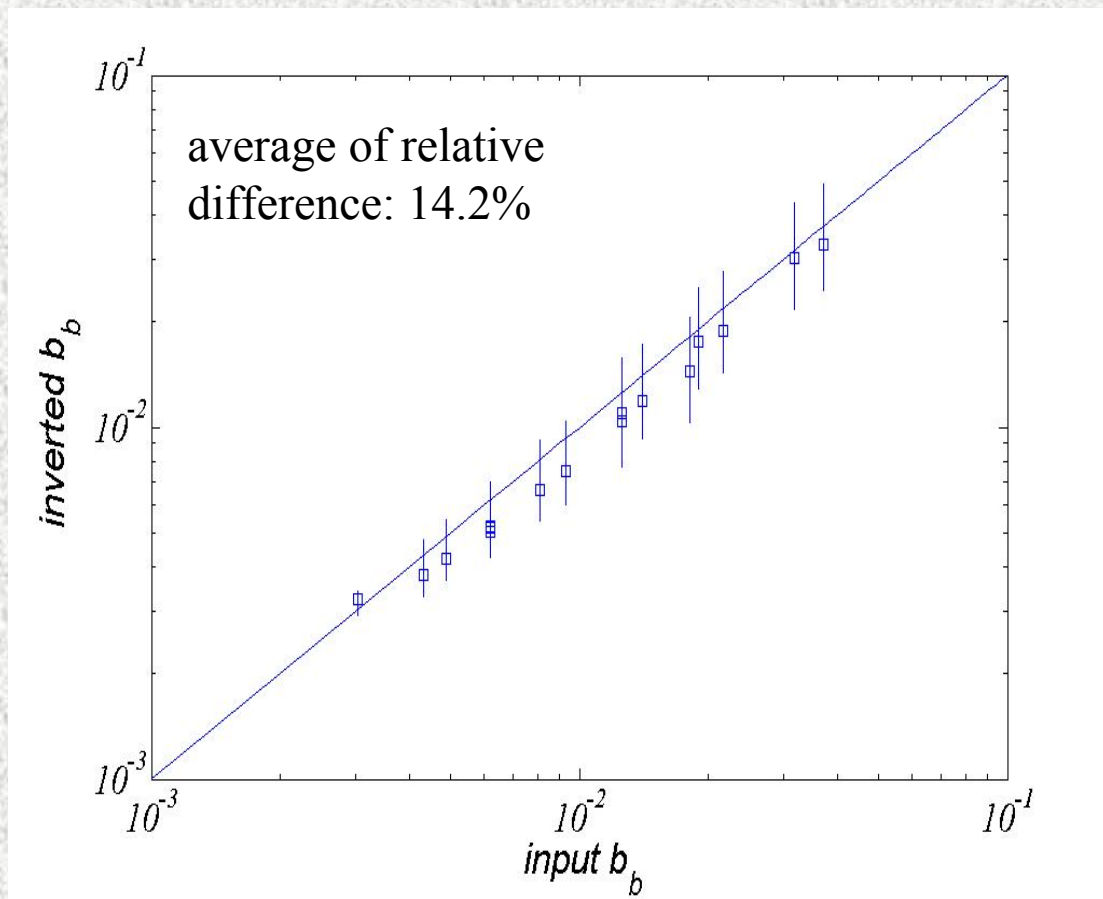
- Basis vectors
- absorption
- $a_{\phi}(\lambda) = a_{\phi}(\lambda_0) [S_f * a_{\text{micro}}(\lambda_0) + (1 - S_f) a_{\text{pico}}(\lambda_0)]$
- $a_{\text{dg}}(\lambda) = a_{\text{dg}}(\lambda_0) \exp(-S(\lambda - \lambda_0))$
- backscattering
- $b_{\text{bp}}(\lambda) = b_{\text{bp}}(\lambda_0) (\lambda/\lambda_0)^{-Y}$
- Radiance Reflectance equation  
[400:10:650]
- $R_{\text{rs}} = 0.0949( b_{\text{b}}/(b_{\text{b}}+a)) + 0.0794 (b_{\text{b}}/(b_{\text{b}}+a))^2$
- Linear regression method
- Data set: simulated by hydrolight (Rrs, a and  $b_{\text{b}}$ )

# Some results: IOP comparison ( $a$ and $b_b$ )

## Total Absorption Comparison



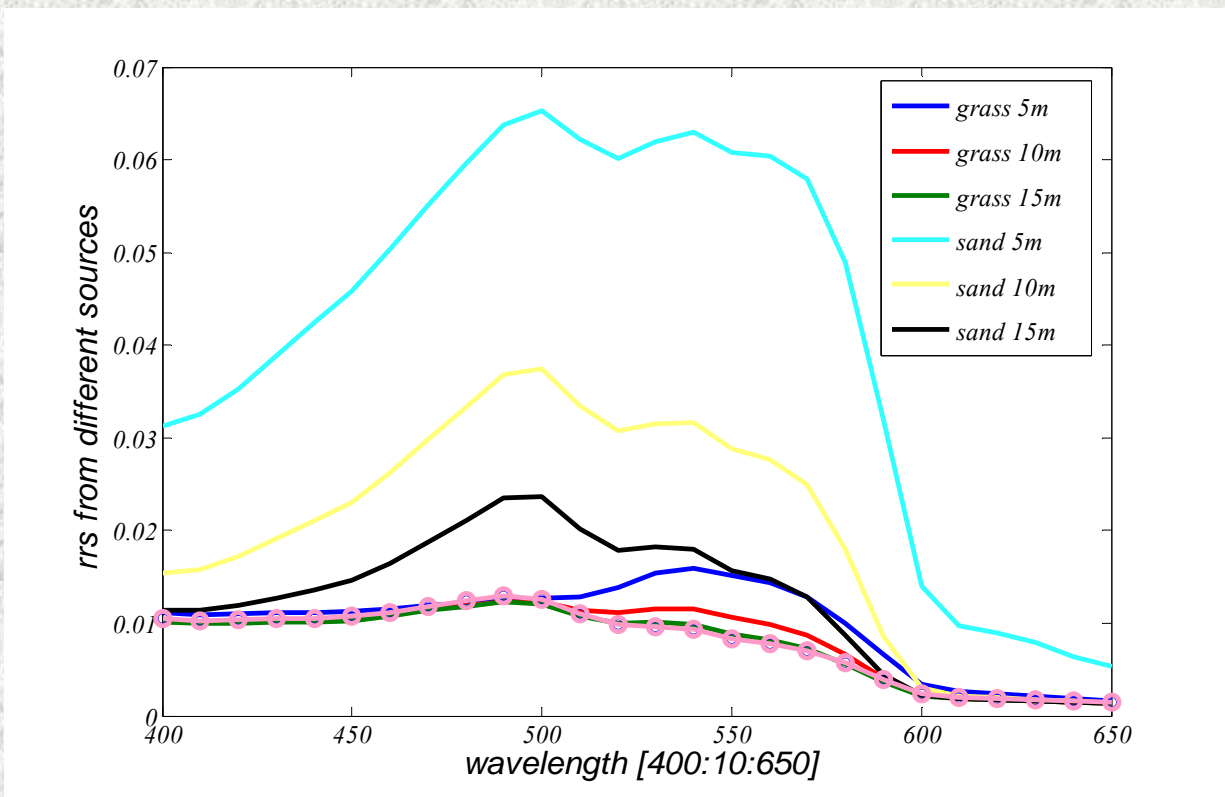
# total backscattering comparison



Now story changed.....



## *Rrs from shallow waters:*



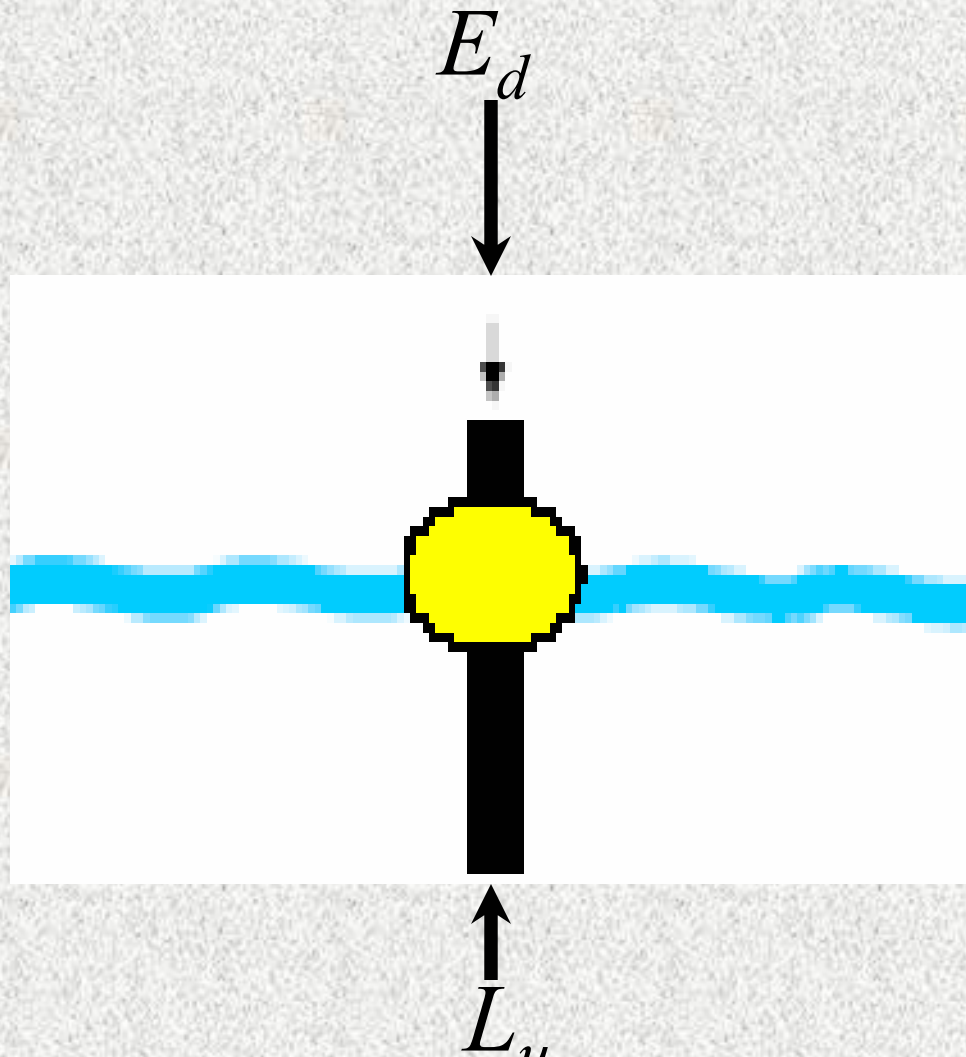
Strange rrs



Matlab complain



No solutions !!!



$$Rrs = L_u/E_d = (L_u^{dp} + L_u^B)/E_d$$

$$= L_u^{dp}/E_d + L_u^B/E_d = R_{rs}^{dp} + R_{rs}^B$$

downwelling irradiance, upwelling radiance  
from water column and bottom



simple idea, hard application;  
fortunately.....

## Semi-Analytical Hyperspectral Model of Lee, et al, 1998

basically:

$$r_{rs} \approx r_{rs}^{dp} [1 - \exp(-2KH)] + r_{rs}^B \exp(-2KH) \approx$$
$$r_{rs}^{dp} (1 - A_0 \exp\{ -[(1/\cos\theta_w) + D_0(1 + D_1u)^{0.5}] \alpha H \}) +$$
$$A_1 \rho \exp\{ -[(1/\cos\theta_w) + D'_0(1 + D'_1u)^{0.5}] \alpha H \}.$$

$r_{rs}$ : subsurface remote-sensing reflectance,  $\text{sr}^{-1}$

$r_{rs}^{dp}$ : subsurface remote-sensing reflectance for deep waters,  $\text{sr}^{-1}$

$r_{rs}^B$ : subsurface remote-sensing reflectance for the bottom,  $\text{sr}^{-1}$

$K$ : diffuse attenuation,  $\text{m}^{-1}$

$H$ : bottom depth, m

$\theta_w$ : subsurface solar zenith angle, rad

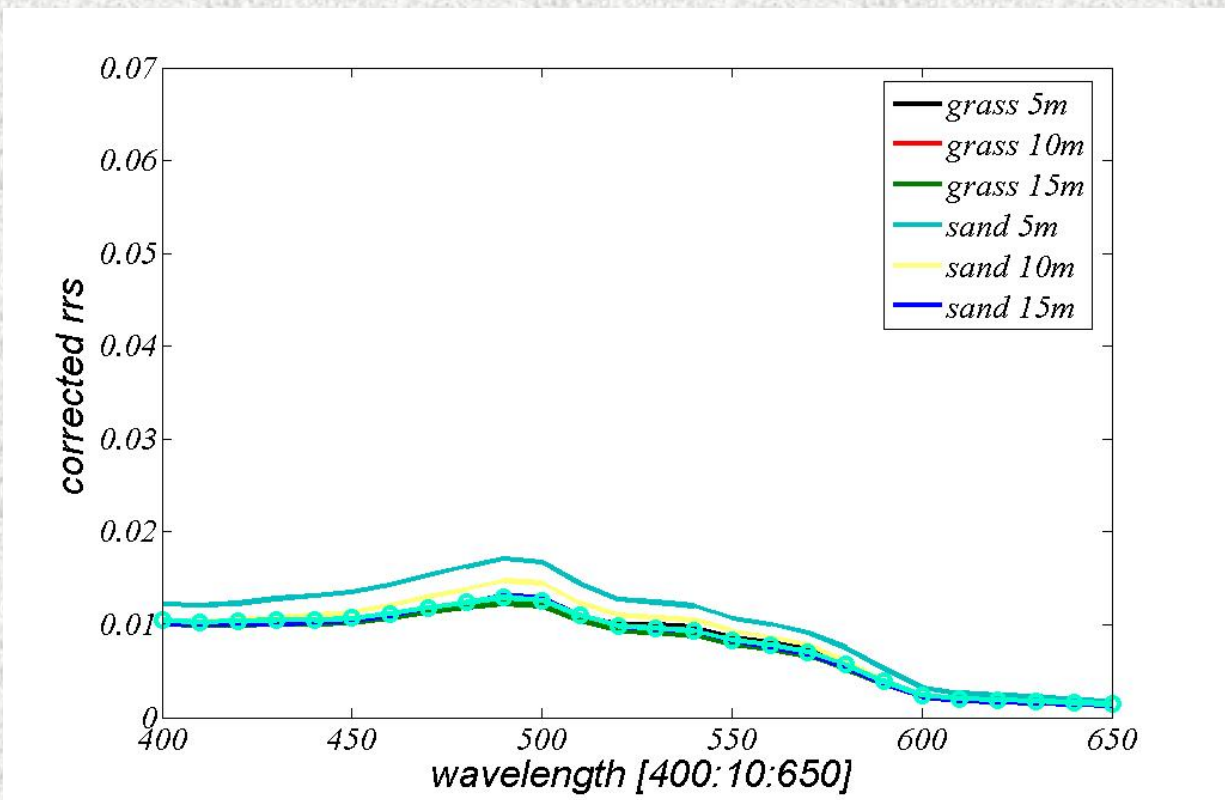
$u$ :  $b_b / (a + b_b)$

$a$ : attenuation coefficient ( $=a + b_b$ ),  $\text{m}^{-1}$

$\rho$ : bottom albedo

$A_{0,1}$   $D_{0,1}$   $D'_{0,1}$ : from Lee et al, 1998

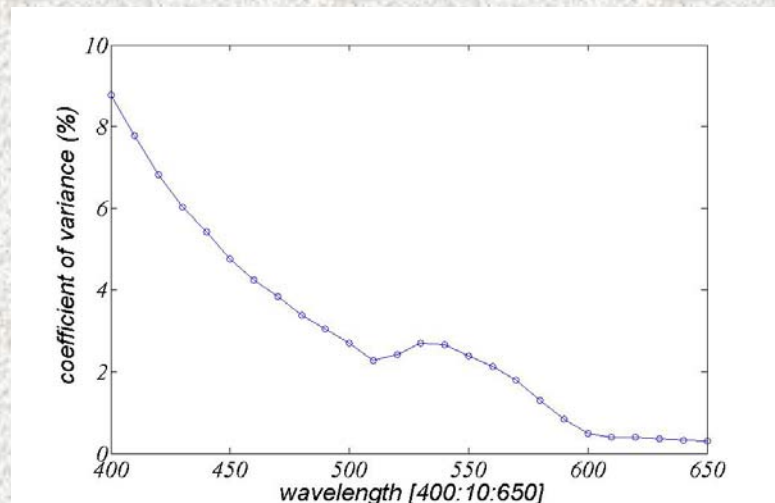
After subtracting the  
bottom influence, we get...



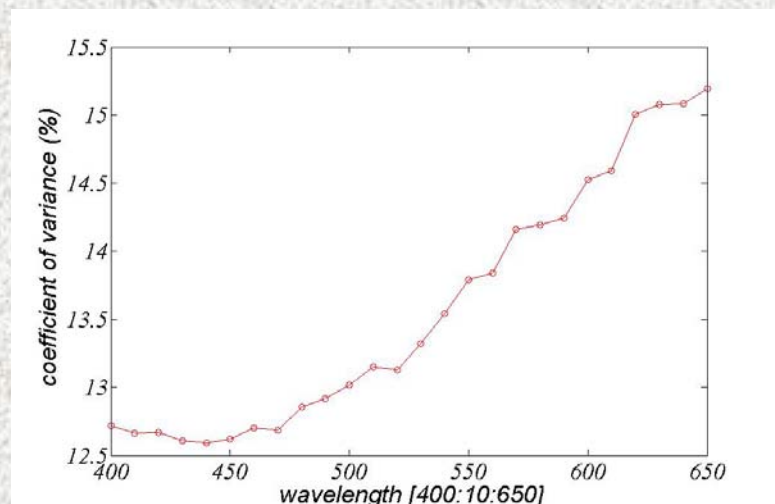
Now matlab smiled and we got solutions !!!

# Coefficient of Variance: (express sample variability relative to the mean of the sample)

Total  
absorption:

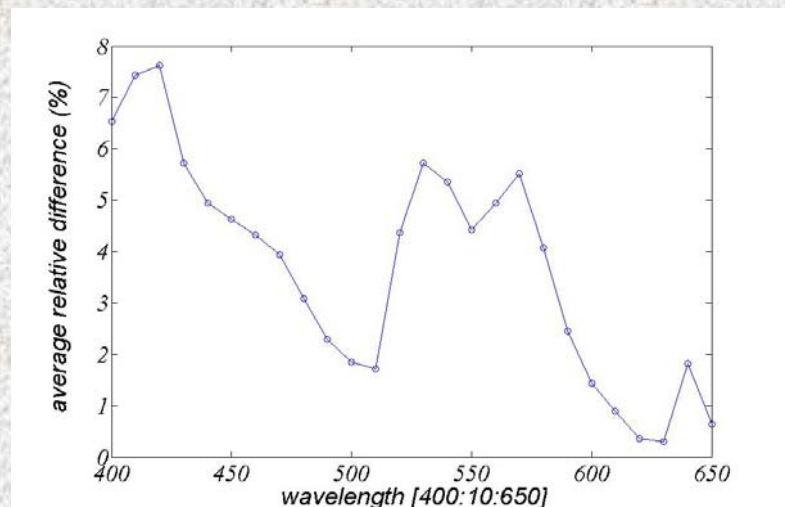


Total  
Backscattering:

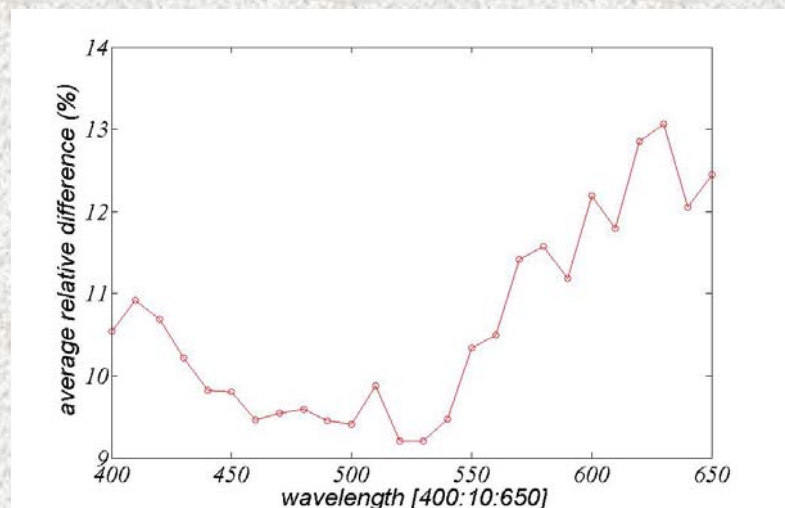


# IOP inversion results from shallow waters:

Total  
Absorption:



Total  
Backscattering:



# Conclusions:

- Bottom reflectance has a huge impact on the remote sensing reflectance;
- Current semi-analytic algorithm can be successfully applied to invert IOPs after bottom correction;
- PBR approach can find strange  $r_{rs}$  which is caused by the environment or bad measurements?

# Acknowledgements

