# BMC Simulation of Eu Over an Optically Shallow Bottom with an Elliptical Target

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# Why BMC

If bottom is heterogeneous and/or patchy:

- Upwelling radiance is a spatial function of horizontal location as well as depth (Mobley and Sundman, 2003)
- Hydrolight requires homogeneity...
- BMC is able to compute irradiances/radiances such as a HTSRB might (0.63m) measure where it crosses a non-uniformity in bottom type

#### Ingredients in the BMC Soup

- Quadrant with a 6 x 8 grid sampled at integer resolution
- Lambertian target centered at (0,0)
- Background reflectance: 20%
- Target reflectance: 4%
- > a = 0.1 m<sup>-1</sup> , b = 0.4 m<sup>-1</sup> ,  $\omega_o = 0.8$
- sun angle: 30°, clear sky
- Three bottom depths considered: 8m, 4m, 2m
- At least one million photons traced from cosine detector placed at 0.63m (HTSRB depth)
- Photons leaving the sea surface are weighted by the sky radiance and scored as contributing to the sensor

#### **Questions and Expectations**

- How will the irradiance reflectance change over the transition from background (20% reflective) to target (4%) (spatial variation)?
- How many photons will I need to avoid noise in the Monte Carlo model?
- Are comparisons of Hydrolight and BMC at nearly homogeneous regions in the quadrant equal?

# BMC Eu (W/m<sup>2</sup> nm)



# BMC Simulated Eu (W/m<sup>2</sup> nm)



# BMC Eu (W/m<sup>2</sup> nm)



#### Cage Match: Hydrolight vs. BMC

Hydrolight computed upwelling irradiances over homogeneous background bottom and a target at the same depth:

- (0,8,0.63): Eu =  $0.1867 \text{ W/m}^2 \text{ nm}$
- H42 (background):
- (0,0,0.63):
- H42 (target):

0.193 0.0549

0.0260

# Effect of variation in bb/b on forward modeled R

Components: an ac9 profile from Leo-15 and various backscatter ratios (bb/b) : 0.03, 0.01, 0.009, 0.007, 0.005

#### Effect of Varying b<sub>b</sub>/b on R (Eu/Ed)



### Inverse Model Comparisons using Basis Vector Variation

- Hydrolight computed R (Eu/Ed) for the same ac9 profile used previously
- Different iterations of spectral slope were used to compare modeled vs. measured reflectance
  - S\_CDM, S\_Nap = 0.02, 0.01 for newer exponential models
  - S\_CDM = 0.015 (CDM and Nap with same assumed slope)
  - for particle bbp: n= 0 (large), n = 1 (small)
  - for particle bbp: n = -1.1 (no size differentiation among particles in exponential)

bbp\_L\_V = (wave/440).^0;%spectrally-independent scattering for large particles bbp\_S\_V = (wave/440).^-1;%power law spectrally varying with n specified for small particles

a\_nap\_V = exp(-0.01\*(wave-440));%a\_nap(440)=1.0, S\_nap = 0.01 a\_cdm\_V = exp(-0.02\*(wave-440));%a\_cdm(440)=1.0, S\_cdm = 0.03









#### Conclusions

Model displayed most sensitivity to changes in spectral slope of CDM

 Congruent with findings of Garver and Siegel (JGR, 1997)

Relatively little change in residual when particle size distribution was altered

## Comparison of Modeled and Measured a<sub>t</sub>



### Thank You

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