

Measuring Suspended Sediments Using High Resolution Acoustic Velocimeters

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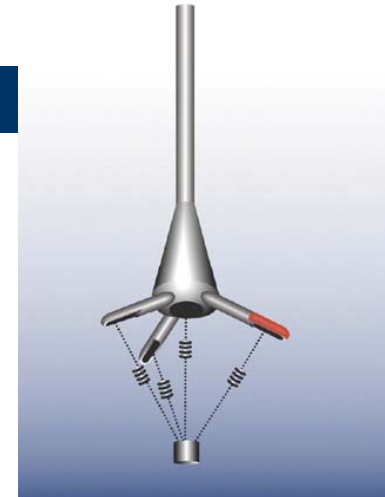
OASIS Field Work Funded by ONR

Benefits of Using Acoustics to Study Marine Particles

- In the MHz range, peak sensitivity to particles of $O(100\mu\text{m})$, where optics is not or may be affected by turbulence
- Less prone to biofouling
- Current meters can measure turbulent fluxes of particles, useful for sediment modeling
- Sound scattering depends upon the physical properties of sediments, different sensitivity to composition than optics

Acoustic Velocimeters for Mass Analysis

- Acoustic Velocimeter
 - Bistatic acoustic sensor
 - Doppler shift gives rise to velocity profile
- Make use of the Modus Operandi
 - Characterize the instrument response to concentrations of a given particle size distribution
 - Extrapolate a response to a broad range of particle sizes



The Sensors

- Nortek Vector
6 MHz
Sampling volume located 15.7 cm from the transmitting transducer
Receives at 26° backward off acoustic axis
- Sontek MicroADV
16 MHz
Sampling volume at 5 cm
Receives at 25° backward off acoustic axis
- Different transmit frequencies each respond to particles of a characteristic size

The Theory

- Acoustic pressure received at the transducer face is proportional to the mass concentration of scatterers,

$$\langle P_b \rangle = k_s k_t \sqrt{M} e^{-2ra},$$

sediment constant, $k_s = \frac{\langle f \rangle}{\sqrt{\rho_s \langle a_s \rangle}}$

$\langle f \rangle$ is mean normalized form function, equivalent to VSF

Instrument constant, k_t estimated through experiment

- Acoustic intensity related to pressure $I = \frac{1}{\rho c} P_b^2$
- Calculation of the form function
Numerical method developed by Martin Anderson, 1996
Solves the equations for a plane acoustic wave incident on a sphere with given physical parameters
 - Size, density, Poisson ratio, scattering angle

The Theory

- Acoustic Velocimeters

Logarithmic transform from instrument recorded units, “counts” to acoustic intensity

$$Acounts = \log\left(\frac{I}{I_0}\right)$$

Substituting for theoretical intensity, model equation

$$Acounts = \log\left(\frac{1}{\rho c} k_s^2 k_n M\right)$$

- Conversion factor for each

Nortek

- 0.45 counts = 1 dB

Sontek

- 0.43 counts = 1 dB

The Experiment

- Methods

- Each sensor immersed in 7.5 L basin of DI water, water circulated with electric pump

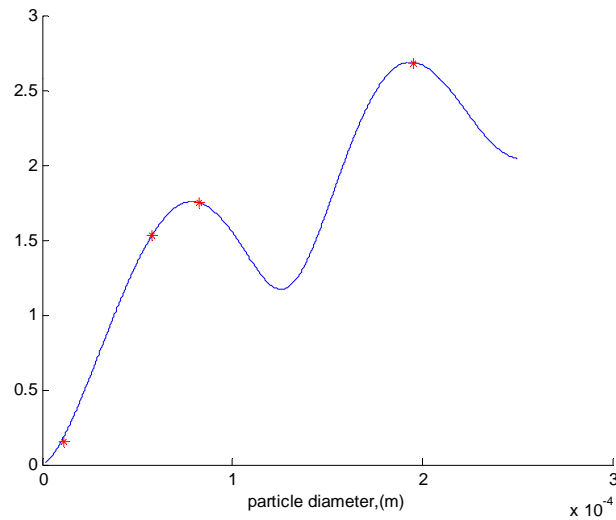
- Experiments performed with glass microspheres, sizes 3-30 μm , 53-63 μm , 75-90 μm , 180-212 μm

- Beads weighed dry in 0.2g parcels

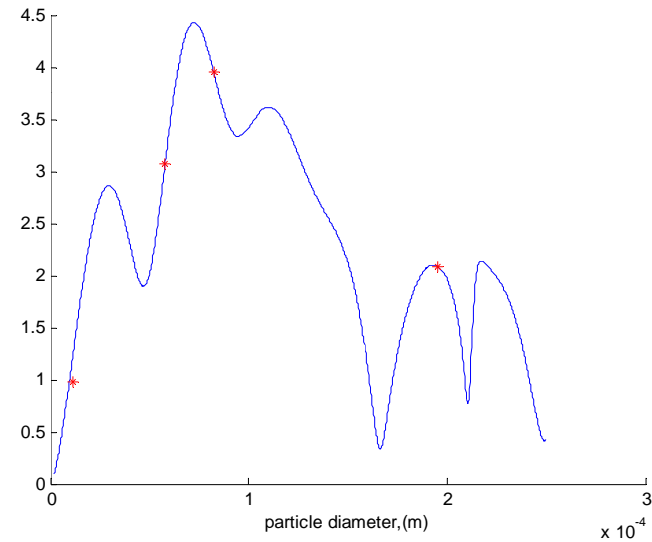
- Suspended sediment analysis to account for particle stratification

- Response to each concentration from each size measured and averaged from all 3 transducers, converted to acoustic intensity

Results



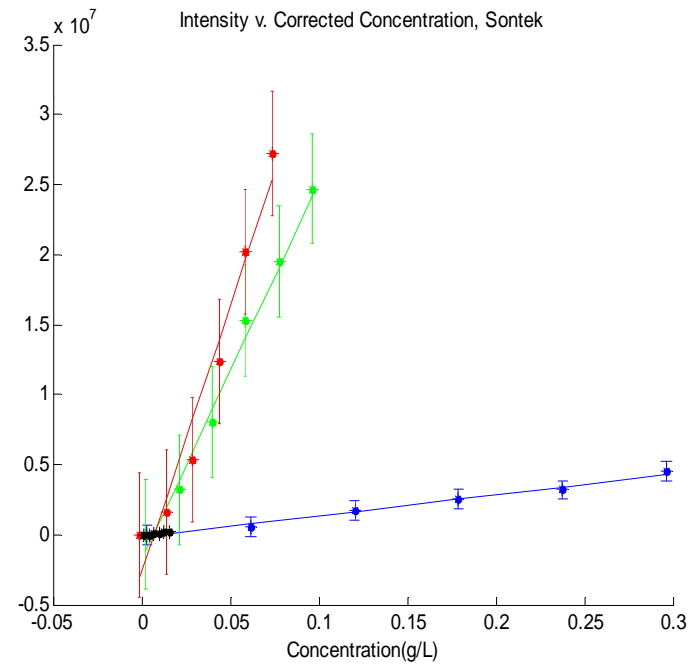
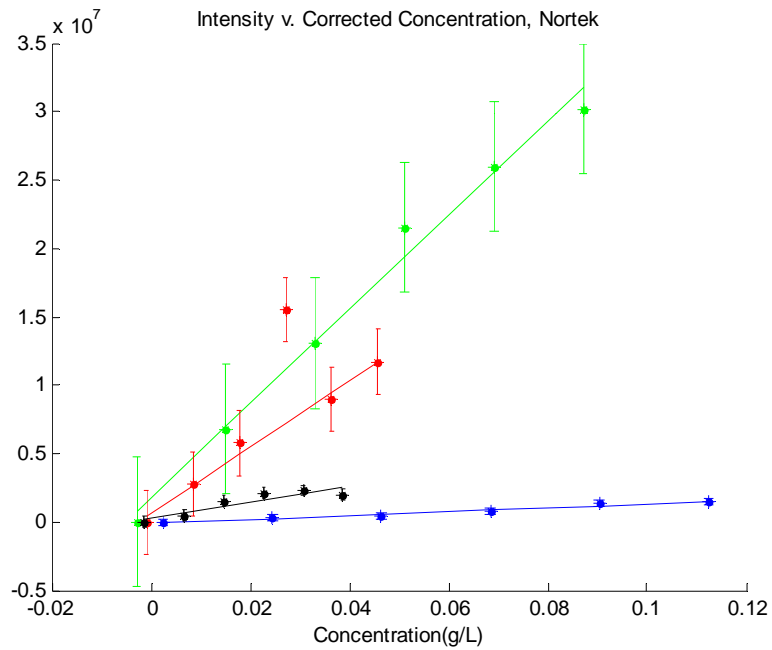
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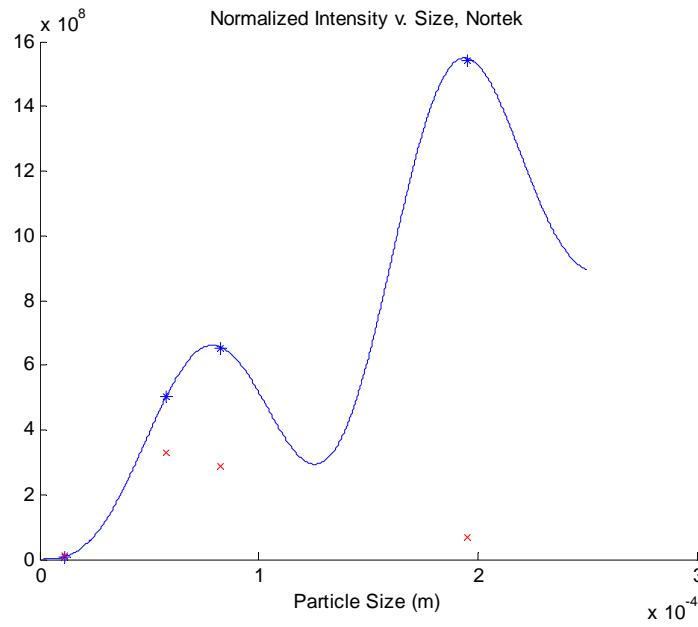
Peak sensitivity predicted for particles of a characteristic size

Results

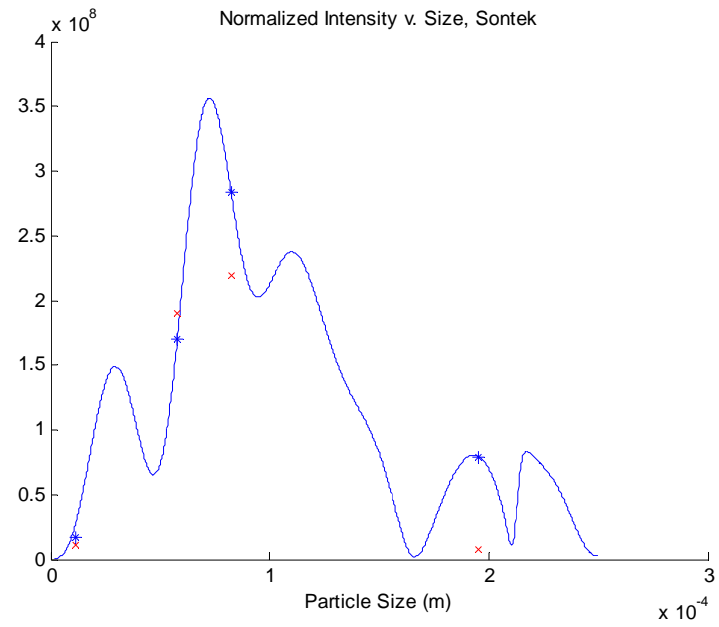


Linear response to mass!

Results



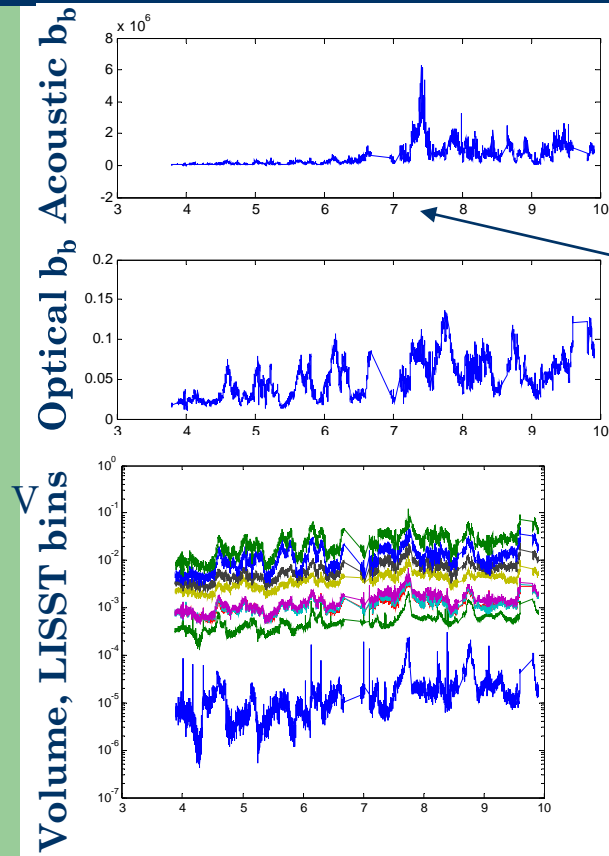
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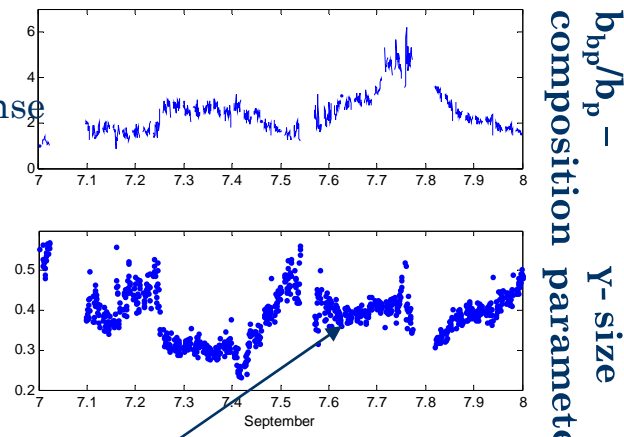
Sontek

Sontek seems better behaved...

Contrasting Times Series, Acoustics & Optics (MVCO, 2005)

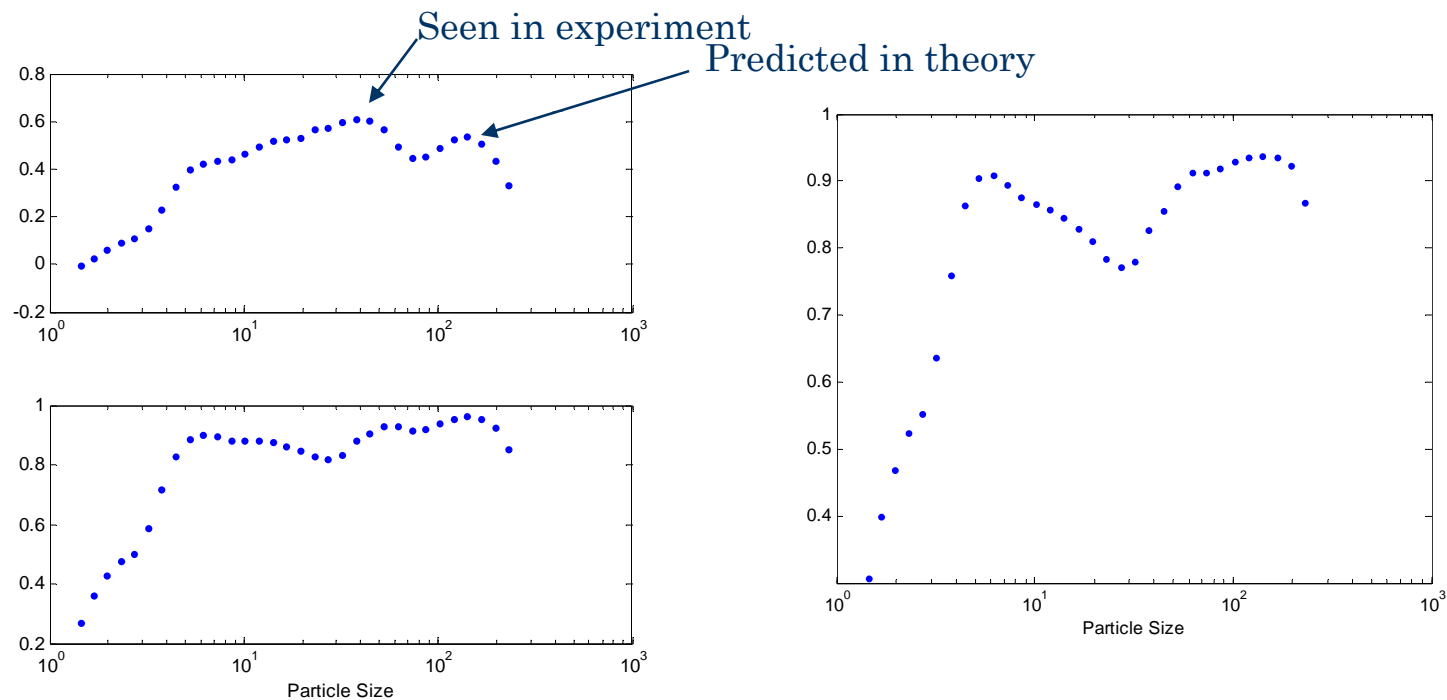


Peak response



Change in composition

From the Field 2005...



Based on LISST inversion, acoustical backscatter correlates best with particles $O(50\mu\text{m})$.
Optical b_b and attenuation correlate better.

Summary

- Acoustics and optics contain different and complimentary information – useful to study particulates
- Correlation suggests the ability of using one to predict the other
- Future Work
 - Continue the characterization of sensors
 - Investigate composition effects on sensor response