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## APPLICATION NOTE NO. 11 Chelsea

Revised February 2010

### **Calculating Calibration Coefficients for Chelsea PAR Light Sensor with Built-In Log Amplifier**

This application note applies to the Chelsea PAR Light sensor, which has a built-in log amplifier. This PAR sensor is compatible with the following Sea-Bird CTDs:

- SBE 9*plus*
- SBE 16 or 19 – This PAR sensor may not be compatible with 6-cell housing version of these CTDs; consult Sea-Bird.
- SBE 16*plus*, 16*plus*-IM, or 19*plus* – CTD's optional PAR connector not required when using this PAR sensor. The PAR sensor interfaces with an A/D voltage channel on the CTD.
- SBE 16*plus* V2, 16*plus*-IM V2, or 19*plus* V2 – The PAR sensor interfaces with an A/D voltage channel on the CTD.
- SBE 25 – CTD's PAR connector (standard on current production SBE 25s, optional on older versions) not used with this PAR sensor. The PAR sensor interfaces with an A/D voltage channel on the CTD.

**Note:** The CTD voltage channel for use with the PAR sensor can be single-ended or differential.

SEASOFT computes PAR using the following:

$$\text{PAR} = [\text{multiplier} * (10^9 * 10^{(V-B)/M}) / \text{calibration constant}] + \text{offset}$$

Enter the following coefficients in the CTD configuration (.con or .xmlcon) file:

$$M = 1.0 / (\log_{10} e * A1 * 1000) = 1.0 / (0.43429448 * A1 * 1000) \quad (\text{Note 2})$$

$$B = -M * \log_{10} e * A0 = -A0 / (A1 * 1000) \quad (\text{Note 2})$$

$$\text{calibration constant} = 10^9 / 0.046 = 2.174 \times 10^{10}$$

$$\text{multiplier} = 1.0 \text{ for output units of } \mu\text{Einsteins}/\text{m}^2\cdot\text{sec} \quad (\text{Note 3})$$

$$\text{offset} = \quad (\text{Note 4})$$

#### **Notes:**

1. In our SEASOFT V2 suite of programs, edit the CTD configuration (.con or .xmlcon) file using the Configure Inputs menu in Seasave V7 (real-time data acquisition software) or the Configure menu in SBE Data Processing (data processing software). Select Par/Irradiance, Biospherical/Licor as the auxiliary voltage sensor; the algorithm applies to the Chelsea PAR sensor as well.
2. A0 and A1 are constants from the Chelsea calibration sheet with an equation of form:  
 $\text{PAR} (\ln \mu\text{Watts}/\text{cm}^2) = A0 + (A1 * \text{mV})$
3. The multiplier can be used to calculate irradiance in units other than  $\mu\text{Einsteins}/\text{m}^2 \text{ sec}$ . See Application Note 11General for multiplier values for other units.  
The multiplier can also be used to *scale* the data, to compare the *shape* of data sets taken at disparate light levels. For example, a multiplier of 10 would make a 10  $\mu\text{Einsteins}/\text{m}^2\cdot\text{sec}$  light level plot as 100  $\mu\text{Einsteins}/\text{m}^2\cdot\text{sec}$ .
4. Offset: To determine the offset, enter M, B, Calibration constant, and Multiplier, and set Offset to 0.0 in the configuration (.con or .xmlcon) file. In Seasave V7, display the *calculated PAR output* with the sensor covered (dark); then enter the negative of this reading as the offset in the configuration (.con or .xmlcon) file.

## Mathematical Derivation

1. Chelsea computes:  $\text{PAR} = K * e^{(A_0 + A_1 * 1000 * V)}$  ( $V$ =sensor output in volts)
2. SEASOFT computes:  $\text{PAR} = [\text{multiplier} * 10^9 * 10^{(V - B) / M} / \text{Calibration constant}] + \text{offset}$  ( $V$ =sensor output in volts)

3. To determine Calibration constant, let multiplier = 1.0 and offset = 0, and set equations 1 and 2 equal to each other.

$$K * e^{(A_0 + A_1 * 1000 * V)} = 10^9 * 10^{(V - B) / M} / \text{Calibration constant}$$

$$\text{If } e^{(A_0 + A_1 * 1000 * V)} = 10^{(V - B) / M}, \text{ then } K = 10^9 / \text{Calibration constant} \rightarrow \text{Calibration constant} = 10^9 / K$$

where  $K = 0.046$  for PAR units of  $\mu\text{Einsteins}/m^2 \cdot \text{sec}^2$

4. If  $e^x = 10^y \rightarrow \log_{10} e^x = y$  and  $x \log_{10} e = y$ .

$$\text{Let } x = A_0 + A_1 * 1000 * V \text{ and } y = (V - B) / M$$

$$\begin{aligned} \text{Let } W = \log_{10} e = 0.43429448 &\rightarrow (A_0 + A_1 * 1000 * V) W = (V - B) / M \\ \rightarrow W * A_0 + W * A_1 * 1000 * V &= (V / M) - (B / M) \rightarrow (W * A_0) + (W * A_1 * 1000 * V) = -(B / M) + (V / M) \end{aligned}$$

Equating like terms:

$$(W * A_1 * 1000 * V) = (V / M) \rightarrow M = 1.0 / (W * A_1 * 1000)$$

$$(W * A_0) = -(B / M) \rightarrow B = -M * W * A_0 = -A_0 / (A_1 * 1000)$$