



Scattering Meter Calibration Sheet

10/8/2008

Wavelength: 700

PRECAL

S/N FLNTU-873

Use the following equation to obtain either digital or analog "scaled" output values:

| | | | |
|--|---|--|---|
| $\beta(\theta_c) \text{ m}^{-1} \text{ sr}^{-1} = \text{Scale Factor} \times (\text{Output} - \text{Dark Counts})$ | | | |
| • Scale Factor for 700 nm | = | 3.844E-06 (m ⁻¹ sr ⁻¹)/counts | 3.135E-03 (m ⁻¹ sr ⁻¹)/volts |
| • Output | = | meter output counts | meter output volts |
| • Dark Counts | = | 47 counts | 0.0760 volts |
| Instrument Resolution | = | 1.0 counts 0.5 mV | 3.84E-06 (m ⁻¹ sr ⁻¹) |

Definitions:

- **Scale Factor:** Calibration scale factor, $\beta(\theta_c)/\text{counts}$. Refer to User's Guide for derivation.
 - **Output:** Measured signal output of the scattering meter.
 - **Dark Counts:** Signal obtained by covering detector with black tape and submersing sensor in water.
- Instrument Resolution: Standard deviation of 1 minute of collected data.

1. For each scattering centroid angle (θ_c), we compute the weighting function $W(\theta, \theta_c)$, by numerical integration of sample volume elements according to the sensor geometry.

2. We determine scattering phase functions, $\beta(\theta, \lambda)/b(\lambda)$, for the microsphere calibration particles by weighing volume scattering functions computed from Mie theory according to the known size distribution of the microsphere polydispersion and normalizing

3. By convolving $W(\theta, \theta_c)$ with $\beta(\theta, \lambda)/b(\lambda)$, we then compute the normalized volume scattering coefficient for each measurement angle, $\beta(\theta, \lambda)/b(\lambda)$, with units of 1/sr: **$\beta(\theta_c)/b$ for 2.00 micron diameter beads.**

| | | |
|-------------------|------------|----------------------------|
| | | Wavelength, λ (nm) |
| Angle, θ_c | 700 | |
| | 117 | 0.0027272 |

4. We then experimentally obtain raw scattering counts simultaneously with attenuation coefficients (C_p , using an ac-9) for a concentration series of the bead polydispersion. Absorption by the calibration particles is assumed negligible. Results for this instrument follow:

| | Cp700 | raw counts, 117 | | |
|-------------|--------------|------------------------|---------------|--------|
| | | Digital | Analog | |
| | | 47.0000 | 0.0760 | |
| Clean water | 0.0382 | 107.8148 | 0.1322 | |
| | 0.3096 | 297.9655 | 0.3653 | |
| | 0.5631 | 482.0000 | 0.5909 | |
| | 0.8441 | 676.2308 | 0.8290 | 0.8355 |
| | 1.7168 | 1303.5357 | 1.5980 | |
| | 2.5725 | 1893.0000 | 2.3206 | |
| | 3.3996 | 2480.7308 | 3.0411 | 5.771 |
| | 4.2681 | 3119.5385 | 3.8242 | |

Dark Counts: obtained by covering detector with black tape and submersing sensor in water.

5. We obtain b/counts from the slope of a linear regression between C_p (equivalent to b for the beads) and counts:

| | 117 | | | |
|------------------|----------------|----------|----------------|----------|
| slope, intercept | 0.00141 | -0.11128 | 1.14968 | -0.11128 |
| | 0.00000 | 0.00687 | 0.00338 | 0.00687 |
| r | 0.99995 | 0.01213 | 0.99995 | 0.01213 |

6. Multiplying the experimental b/counts by the theoretical $\beta(\theta_c)/b$ yields the calibration scaling factor, S :

| | S | |
|----------------|-------------------|-------------------|
| digital | 3.8436E-06 | analog |
| | | 3.1354E-03 |

To obtain $\beta(\theta_c)$, 1) subtract the dark counts (see step 4) from the raw counts measured, then 2) multiply by S from the table above.

7. The test also provides a measure of the inherent noise level of the instrument from the short term RMS deviation from the average number of counts. We translate this into the resolution of $\beta(\theta_c)$ (minimum detectable signal change) in units of 1/(m. st)

| | | Resolution (1/[m. ster]) |
|----------------|--------|---------------------------------|
| Noise (counts) | 1 | |
| Noise (mV) | 0.5000 | 3.844E-06 |